1.1 Modeling & Equation Solving

Review Target: Find extrema, zeroes, in odd or even functions

Review of Prior Concepts

Quick Review p.75

1

3.

4.

7.

More Practice

Difference of Squares

https://www.khanacademy.org/math/algebra-basics/quadratics-polynomials-topic/factoring-special-products-core-algebra/v/factoring-difference-of-squares
http://www.regentsprep.org/regents/math/algebra/av6/Lfactps.htm

Factoring Quadratic Expressions

http://www.purplemath.com/modules/factquad.htm http://www.mathguide.com/lessons/Factoring.html

SAT Connection

Passport to Advanced Math

- **3.** Create an equivalent form of an algebraic expression.
- **4.** Solve a system of one linear equation and one quadratic equation.

Example: If $(ax + 2)(bx + 7) = 15x^2 + cx + 14$ for all values of

x, and a + b = 8, what are the two possible

values for c?

- A) 3 and 5
- B) 6 and 35
- C) 10 and 21
- D) 31 and 41

Solution

Unit 1 (Chapter 1): Functions

Solve equations algebraically and graphically

Example 1:
$$x^2 + 2x = 2x + 16$$

Algebraically

VIDEO

Learn Graphically
on TI-Nspire

Graphically

Example 2:
$$3x^2 - 4x - 1 = (x + 2)(x - 3) + 8x$$

Algebraically

Graphically

Unit 1	Chant	er 1):	Fun	ctions
Omit I v	CHapt	LLI I /•	Lun	CHUHS

Pre-Calculus 2016-2017

Example 3: $x - 3 = 3\sqrt{2x + 1}$

Algebraically

Graphically

More Practice

Solving Equations Algebraically

http://www.sosmath.com/algebra/solve/solve0/solve0.html

http://dl.uncw.edu/digilib/mathematics/algebra/mat111hb/izs/asolve/asolve.html

https://www.youtube.com/watch?v=QNa-m3XHOQ8

Solving Equations Graphically

http://mathbits.com/MathBits/TINSection/Algebra1/SolvingEquations.html

https://www.youtube.com/watch?v=Xrhx4YJQGXk

https://www.youtube.com/watch?v=mZyxGwKJXmw

Homework Assignment

p.78 #29,30,31,33,34,37

SAT Connection

Solution

Choice D is correct. One can find the possible values of a and b in (ax + 2)(bx + 7) by using the given equation a + b = 8 and finding another equation that relates the variables a and b. Since $(ax + 2)(bx + 7) = 15x^2 + cx + 14$, one can expand the left side of the equation to obtain $abx^2 + 7ax + 2bx + 14 = 15x^2 + cx + 14$. Since ab is the coefficient of x^2 on the left side of the equation and 15 is the coefficient of x^2 on the right side of the equation, it must be true that ab = 15. Since a + b = 8, it follows that b = 8 - a. Thus, ab = 15 can be rewritten as a(8 - a) = 15, which in turn can be rewritten as $a^2 - 8a + 15 = 0$. Factoring gives (a - 3)(a - 5) = 0. Thus, either a = 3 and b = 5, or a = 5 and b = 3. If a = 3 and b = 5, then $(ax + 2)(bx + 7) = (3x + 2)(5x + 7) = 15x^2 + 31x + 14$. Thus, one of the possible values of c is 31. If a = 5 and b = 3, then $(ax + 2)(bx + 7) = (5x + 2)(3x + 7) = 15x^2 + 41x + 14$. Thus, another possible value for c is 41. Therefore, the two possible values for c are 31 and 41.

Choice A is incorrect; the numbers 3 and 5 are possible values for a and b, but not possible values for c. Choice B is incorrect; if a = 5 and b = 3, then 6 and 35 are the coefficients of x when the expression (5x + 2)(3x + 7) is expanded as $15x^2 + 35x + 6x + 14$. However, when the coefficients of x are 6 and 35, the value of c is 41 and not 6 and 35. Choice C is incorrect; if a = 3 and b = 5, then 10 and 21 are the coefficients of x when the expression (3x + 2)(5x + 7) is expanded as $15x^2 + 21x + 10x + 14$. However, when the coefficients of x are 10 and 21, the value of c is 31 and not 10 and 21.