# 1.1 Modeling & Equation Solving

Review Target: Find extrema, zeroes, in odd or even functions

Review of Prior Concepts

Solve the equation  $x + 1 = 2\sqrt{x + 4}$  algebraically. **Explain your steps.** 

#### **More Practice**

#### **Solving Radical Equations**

http://www.regentsprep.org/regents/math/algtrig/ate10/radlesson.htm

http://www.purplemath.com/modules/solverad2.htm

https://www.youtube.com/watch?v=JBCsfUaXTNs

### **SAT Connection**

**Passport to Advanced Math** 

7. Solve an equation in one variable that contains radicals.

Example: If  $a = 5\sqrt{2}$  and  $2a = \sqrt{2x}$ , what is the value of x?

**NOTE:** You / 00 may start your .0000 answers in any 0000 column, space 10000 permitting. Columns you 2 0 0 0 0 don't need to 3 0 0 0 0 use should be 4 0 0 0 0 left blank. 5 0 0 0 0 6 0 0 0 0 70000 8 0000 90000

Solution

Fundamental Connection (p.70)

If a is a real number that solves the equation f(x) = 0, then these 3 statements are equivalent.

1.

2.

3.

Example 1: Find the zero(s) of  $f(x) = x + 1 - 2\sqrt{x+4}$  graphically.

Example 2: Solve the equation  $x + 1 = 2\sqrt{x + 4}$  by finding the x-intercepts graphically.

Now you try...& verify with your group members. (round to nearest thousandths – 3 decimal places)

Find the roots of the equation $f(x) =  2x - 1  - 5$ graphically.	Find the zero(s) of the equation $g(x) = x + 2 - 2\sqrt{x+3}$ graphically.	
Solve the equation $\sqrt{x+7} = -x^2 + 5$ graphically.	Find the <i>x</i> -intercepts of the equation $ x + 5  =  x - 3 $ graphically.	

## **More Practice**

### **Zeros, Roots, and X-Intercepts**

http://www.themathpage.com/aprecalc/roots-zeros-polynomial.htm https://www.youtube.com/watch?v=yL-H9S18BVI

### **SAT Connection**

#### Solution

The correct answer is 100. Since  $a = 5\sqrt{2}$ , one can substitute  $5\sqrt{2}$  for a in  $2a = \sqrt{2}x$ , giving  $10\sqrt{2} = \sqrt{2}x$ . Squaring each side of  $10\sqrt{2} = \sqrt{2}x$  gives  $(10\sqrt{2})^2 = (\sqrt{2}x)^2$ , which simplifies to  $(10)^2(\sqrt{2})^2 = (\sqrt{2}x)^2$ , or 200 = 2x. This gives x = 100. Checking x = 100 in the original equation gives  $2(5\sqrt{2}) = \sqrt{(2)(100)}$ , which is true since  $2(5\sqrt{2}) = 10\sqrt{2}$  and  $\sqrt{(2)(100)} = (\sqrt{2})(\sqrt{100}) = 10\sqrt{2}$ .