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8.3. Honors Geometry

DATE: 2/3

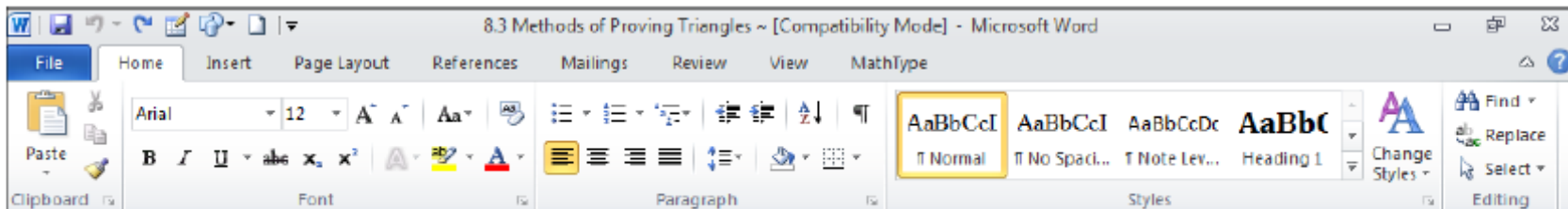
Target LE: Justify & conclude that $AA \sim$ is a sufficient condition for 2 Δ s to be \sim .

So what is sufficient? According to Nspire activity, there are three ways

- $\sim AA$ \rightarrow most often used
- $\sim SSS$
- $\sim SAS$

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8.3 Methods of Proving Triangles ~ [Compatibility Mode] - Microsoft Word



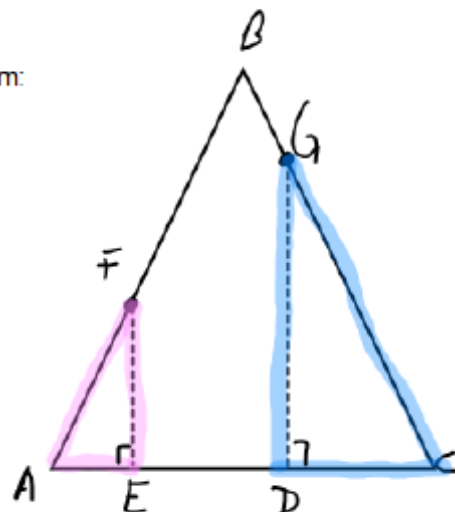
10. From two points, one on each leg of an isosceles triangle, perpendicular segments are drawn to the base. Prove that the triangles formed are similar.

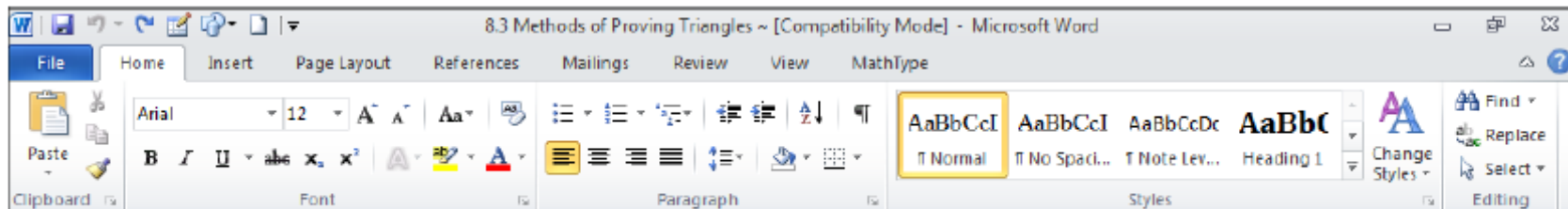
Given: $\triangle ABC$ is isosceles w/ base \overline{AC} Diagram:

$\overline{FE} \perp \overline{AC}$, $\overline{GD} \perp \overline{AC}$

Prove: $\triangle AEF \sim \triangle CDG$

Statement	Reason
① $\triangle ABC$ iso, base \overline{AC} $\overline{FE} \perp \overline{AC}$, $\overline{GD} \perp \overline{AC}$	① Given
② $\angle FEA$, $\angle GDC$ rt.	② Def. of \perp .
③ $\angle FEA \cong \angle GDC$	③ Right \angle s \cong .
④ $\overline{AB} \cong \overline{BC}$	④ Def. of iso. \triangle .
⑤ $\angle A \cong \angle C$	⑤ $\triangle \Rightarrow \triangle$
⑥ $\triangle AEF \sim \triangle CDG$	⑥ \sim AA (3,5)

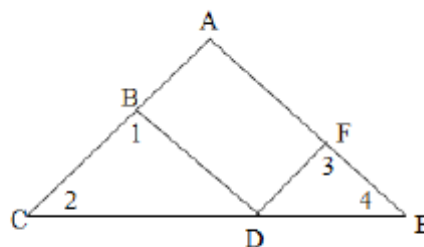




12. Given: $AC \cong AE$
 $\angle 1 \cong \angle 3$

Prove: $\triangle BCD \sim \triangle FED$

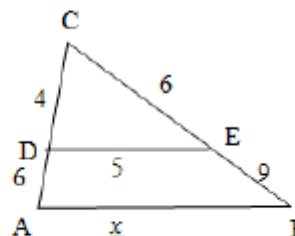
Statement	Reason
① $\overline{AC} \cong \overline{AE}$	① Given
② $\angle 1 \cong \angle 3$	② Given
③ $\angle C \cong \angle E$	③ $\triangle \Rightarrow \triangle$
④ $\triangle BCD \sim \triangle FED$	④ $\sim AA(2,3)$



13. a) Based on the figure, is $\triangle CDE \sim \triangle CAB$? Why?

b) Is DE parallel to AB? Why or why not?

c) Find x.



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For problems 7-9, identify the similar triangles in each figure. Explain why they are similar and find the value of each variable.

7. $\triangle BAC \sim \triangle DAE$
by $\sim AA$.

$\frac{BA}{DA} = \frac{AC}{AE} = \frac{BC}{DE}$

$\frac{12}{4} = \frac{15}{x} \Rightarrow x = 5$

$\frac{12}{4} = \frac{10}{y} \Rightarrow \frac{12y}{12} = \frac{40}{12}$
 $y = \frac{40}{12} = \frac{10}{3}$

8. $\triangle ABE \sim \triangle ADC$ by $\sim AA$

$\frac{AD}{DB} = \frac{BE}{EC} = \frac{AE}{AC}$

$\frac{x}{10} = \frac{3}{6} = \frac{4}{x+y}$. So

$\frac{x}{10} = \frac{2}{3} \Rightarrow x = \frac{20}{3}$

By subst.,
 $\frac{2}{3} \times \frac{4}{(5+y)} \Rightarrow \frac{8}{3(5+y)} = \frac{2}{3}$
 $15+2y = 24$
 $2y = 9 \Rightarrow y = \frac{9}{2}$

9. $\triangle DCE \sim \triangle ACB$ by $\sim AA$

$\frac{DC}{AC} = \frac{CE}{CB} = \frac{DE}{AB}$

$\frac{10}{x+10} = \frac{15}{39} = \frac{y}{32}$. So

$\frac{y}{32} \times \frac{15}{39} \Rightarrow 39y = 480 \Rightarrow y = \frac{480}{39} = \frac{160}{13}$

$\frac{10}{(x+10)} \times \frac{15}{39} \Rightarrow 390 = 15(x+10)$
 $390 = 15x + 150$
 $240 = 15x \Rightarrow x = 16$

10. From two points, one on each leg of an isosceles triangle, perpendicular segments are drawn to the base. Prove that the triangles formed are similar.

Given:

Diagram: