# 8.3 Angles and Their Measures

Review of Prior Concepts

The wheels on the bus go round and round, round and round, round and round. The wheels on the bus go round and round, all through the town. If the radius of the wheel of the bus is 70 cm, what is the circumference of the wheel?

Vocabulary

• Degree -

Degree of  $\Theta$  = \_\_\_\_\_

• Radian -

Radian of  $\odot = \frac{\text{Length of } \odot}{\text{Lenth of radius of } \odot} = \frac{1}{1 - 1} = \frac{1}{1 - 1}$ 

### **Convert from Degrees to Radians**

Multiply degrees by

*Example:* Convert 36° to radians

#### **Convert from Radians to Degrees**

Multiply radians by

*Example:* Convert  $\frac{2\pi}{3}$  radians to degrees

### Arc Length



## \*What if $\theta$ is measured in radians?

- *S* =
- S =

## where $\theta$ is measured in radians

# Examples:

Given: $S = 2.5$ cm and $\theta = \pi/3$ rad	Given: $r = 5$ ft and $\theta = 18^{\circ}$
Find: r	Find: s
A central angle A intercents arcs S, and S, on two	A 100-degree arc of a circle has a length of 7 cm
concentric circles with radii $r_{\rm a}$ and $r_{\rm a}$ respectively	To the nearest centimeter, what is the radius of
Given: $r = 8 \text{ km} \text{ S}_{2} - 36 \text{ km}$ and $S_{2} - 72 \text{ km}$	the circle?
Find: $A$ and $r$	