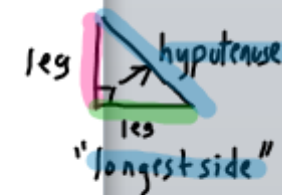


## 3.8. Honors Geometry

DATE: 11/29

In a rt.  $\Delta$



Target 3B. Understand and apply the theorems and postulates sufficient to prove triangles congruent

### Hypotenuse-Leg Theorem (HL):

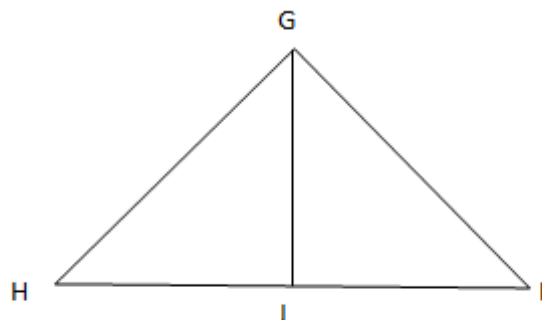
- If the hypotenuse and leg of one right triangle are congruent to the corresponding hypotenuse and leg of another right triangle, then the two triangles are congruent.

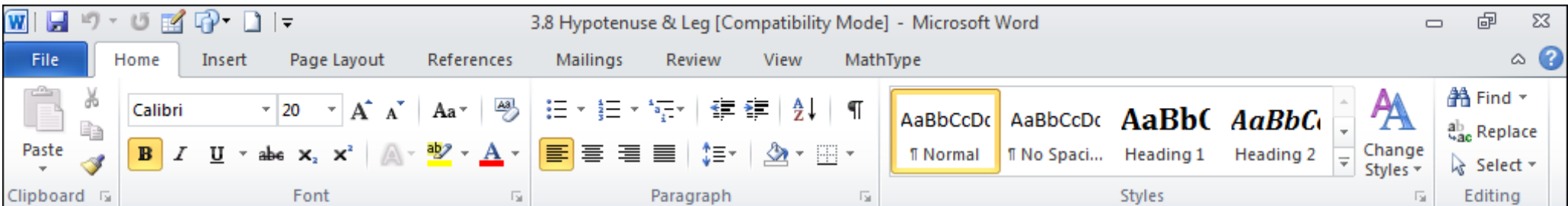
### Examples

Given: GJ is the altitude to HK

$$HG \cong KG$$

Prove:  $\Delta GHJ \cong \Delta GKJ$



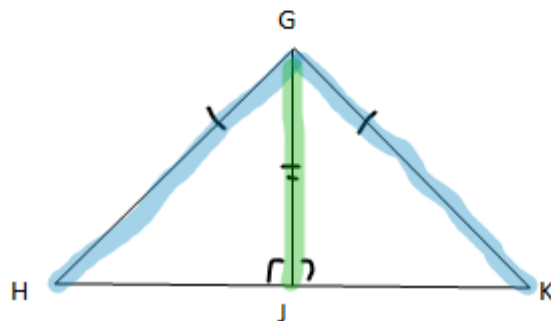


*Examples*

Given: GJ is the altitude to HK

$$HG \cong KG$$

Prove:  $\triangle GHJ \cong \triangle GKJ$



Statements	Reasons
① $\overline{GJ}$ alt to $\overline{HK}$ * $\overline{HG} \cong \overline{KG}$	① Given
② $\angle GJH$ $\angle GJK$ rt. $\angle$	② Definition of altitude
③ $\overline{GJ} \cong \overline{GJ}$	③ Reflexive Property
④ $\triangle GHJ \cong$ $\triangle GKJ$	④ HL (step 1*, 3)

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Paragraph

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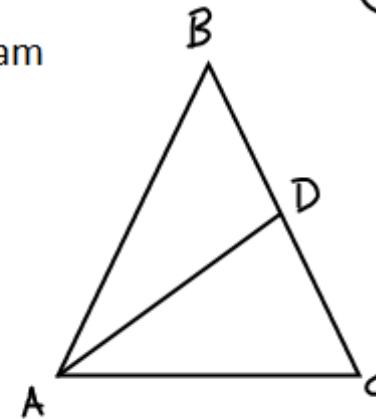
Prove that an altitude of an equilateral triangle is also the median of the triangle.

Given:  $\triangle ABC$  equilateral  
 $\overline{AD}$  altitude to  $\overline{BC}$

Prove:  $\overline{AD}$  median to  $\overline{BC}$

Statements	Reasons
① $\triangle ABC$ equilateral $\overline{AD}$ alt. to $\overline{BC}$	① Given
② $\overline{AB} \cong \overline{AC}$	② Definition of equilateral $\triangle$ .
③ $\angle BDA, \angle CDA$ rt. $\angle$	③ Definition of altitude
④ $\overline{AD} \cong \overline{AD}$	④ Reflexive property
⑤ $\triangle ABD \cong \triangle ACD$	⑤ HL
⑥ $\overline{BD} \cong \overline{CD}$	⑥ CPCTC
⑦ $\overline{AD}$ median to $\overline{BC}$	⑦ If a seg from vertex of a $\triangle$ is the opposite side into 2 $\cong$ segments, then it's a median.

Diagram



→ we'll learn more about setting up in next unit !!