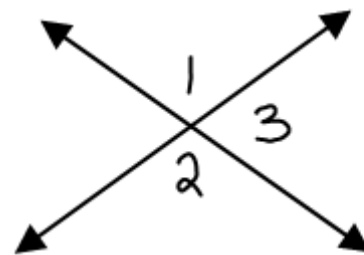


Warmup: Given: $\angle 1$ and $\angle 2$ are vertical \angle s
 Prove: $\angle 1 \cong \angle 2$



Think-pair-share!

Paragraph Proof: Let $\angle 1 = x$ and label $\angle 3$ on the diagram. $\angle 3 = 180 - x$ because of the subtraction prop. of \angle s (sub. x from a straight \angle). Now $\angle 2 = 180 - \angle 3$, same reason as above.

$$\begin{aligned} \angle 2 &= 180 - (180 - x) && \text{substitution} \\ &= \cancel{180} - \cancel{180} + x && \text{simplify} \\ &= x \end{aligned}$$

$$\therefore \angle 1 = x = \angle 2$$

$$\therefore \angle 1 \cong \angle 2$$

b/c if two \angle 's have the same measure then they are \cong .

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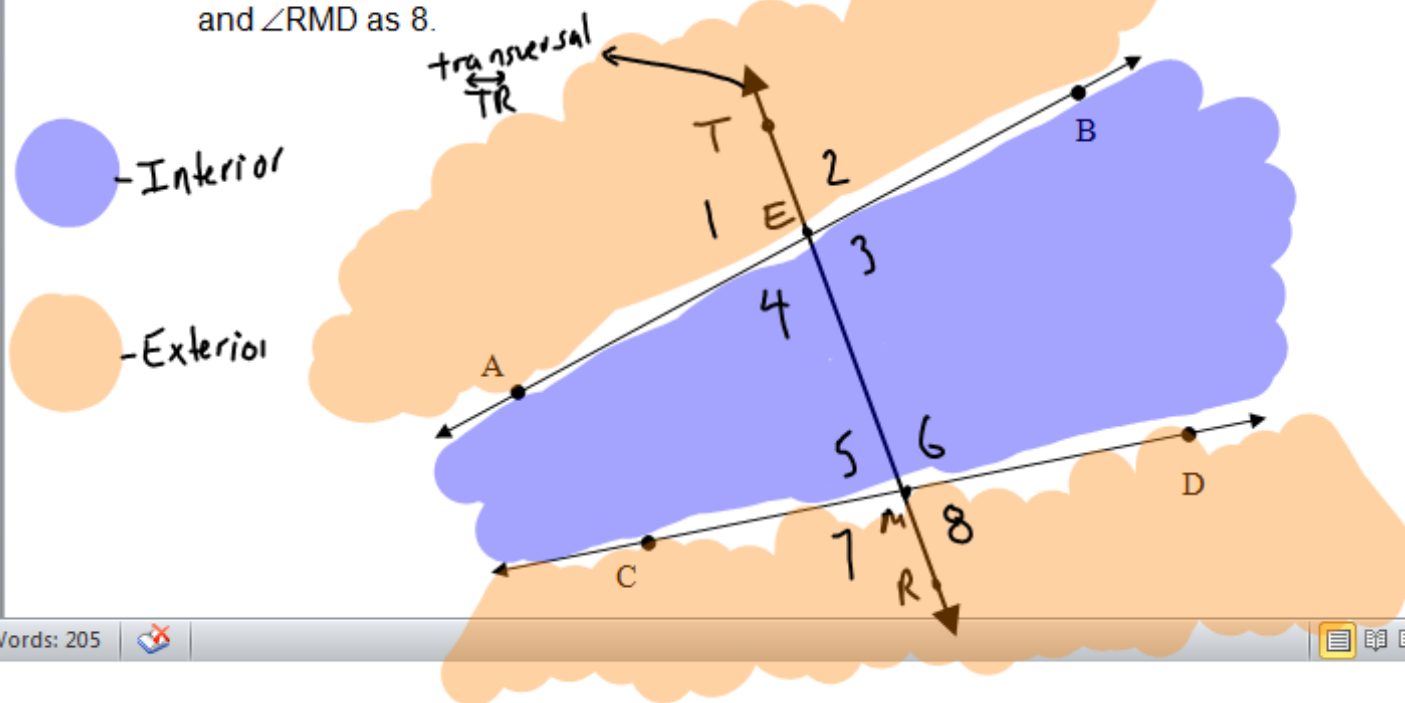
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4.5/5.3 Honors Geometry

DATE: _____

Target 1C. Prove theorems about lines and angles with statements based on the Law of Syllogism.

- Shade the area between the lines \overleftrightarrow{AB} and \overleftrightarrow{CD} Blue and the area outside the lines Orange.
- Draw a line that intersects \overleftrightarrow{AB} and \overleftrightarrow{CD} . Label that line \overleftrightarrow{TR} (transversal).
- Where \overleftrightarrow{TR} intersects \overleftrightarrow{AB} , label this point E. Where \overleftrightarrow{TR} intersects \overleftrightarrow{CD} , label this point M.
- Label $\angle TEA$ as 1, $\angle TEB$ as 2, $\angle BEM$ as 3, $\angle AEM$ as 4, $\angle CME$ as 5, $\angle EMD$ as 6, $\angle CMR$ as 7, and $\angle RMD$ as 8.



Transversal Activity [Compatibility Mode] - Microsoft Word

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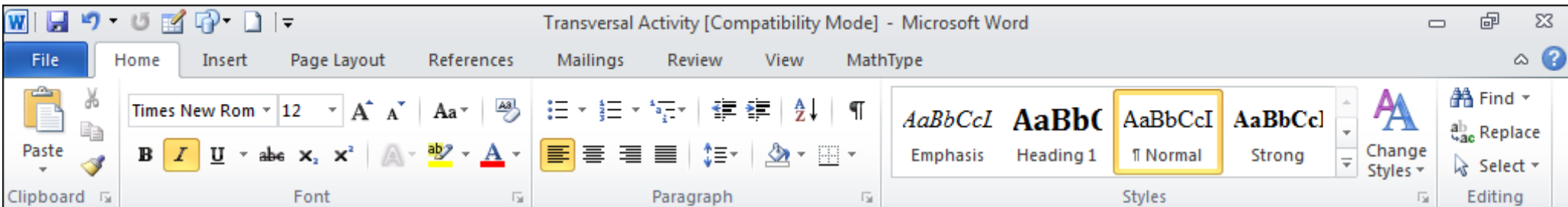
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Angle Relationship	Definition	Examples
Corresponding Angles	Two angles that are in the same location.	4 pairs: $\angle 1, \angle 5$ $\angle 4, \angle 8$ $\angle 2, \angle 6$ $\angle 3, \angle 7$
Alternate Interior Angles	Two angles in between the two lines (in the interior) that are on opposite (alternate) sides of the transversal	2 pairs: $\angle 3, \angle 5$ $\angle 4, \angle 6$
Alternate Exterior Angles	Two angles outside the two lines (in the exterior) that are on opposite (alternate) sides of the transversal	2 pairs: $\angle 1, \angle 8$ $\angle 2, \angle 7$
Same-Side Interior Angles	Two angles in between the two lines (in the interior) that are the same side of the transversal	2 pairs: $\angle 4, \angle 5$ $\angle 3, \angle 6$
Same-Side Exterior Angles	Two angles outside the two lines (in the exterior) that are on the same side of the transversal	2 pairs: $\angle 1, \angle 7$ $\angle 2, \angle 8$



that are on the same side of the transversal

What would happen to each angle relationship above if we made $\overleftrightarrow{AB} \parallel \overleftrightarrow{CD}$? Let's explore this on the Nspire.

When lines are $\parallel \implies$

1) Corresponding \angle s \cong
 ($\angle 1, \angle 5$; $\angle 2, \angle 6$; $\angle 4, \angle 7$; $\angle 3, \angle 8$)

2) Alternate Interior \angle s \cong
 ($\angle 4, \angle 6$; $\angle 3, \angle 5$)

3) Alternate Exterior \angle s \cong
 ($\angle 1, \angle 8$; $\angle 2, \angle 7$)

4) Same-side Interior \angle s supp. (add to 180°)
 ($\angle 4, \angle 5$; $\angle 3, \angle 6$)

5) Same-side Exterior \angle s supp (— || —)
 ($\angle 1, \angle 7$; $\angle 2, \angle 8$)

